

EUV at 22nm node: tolerance for shot noise?

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“Shot Noise” (here, photon noise)

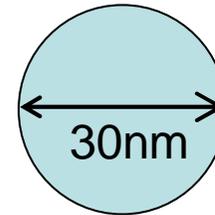
- EUV photons (92eV) are 14.3x as energetic as 193nm photons.
- So there's fewer of them -> having a few more or less may be a significant % change. Looks like an effective dose fluctuation appears from one feature to the next. This Impacts contact size variation, LWR, etc.
- Let's look at some estimated magnitudes of these fluctuations for EUV at nominal 22nm node features sizes.
- Several fine models exist which address details of the implications of these fluctuations (such as LWR); we will restrain to simply counting photons in the feature of interest.

Basic method

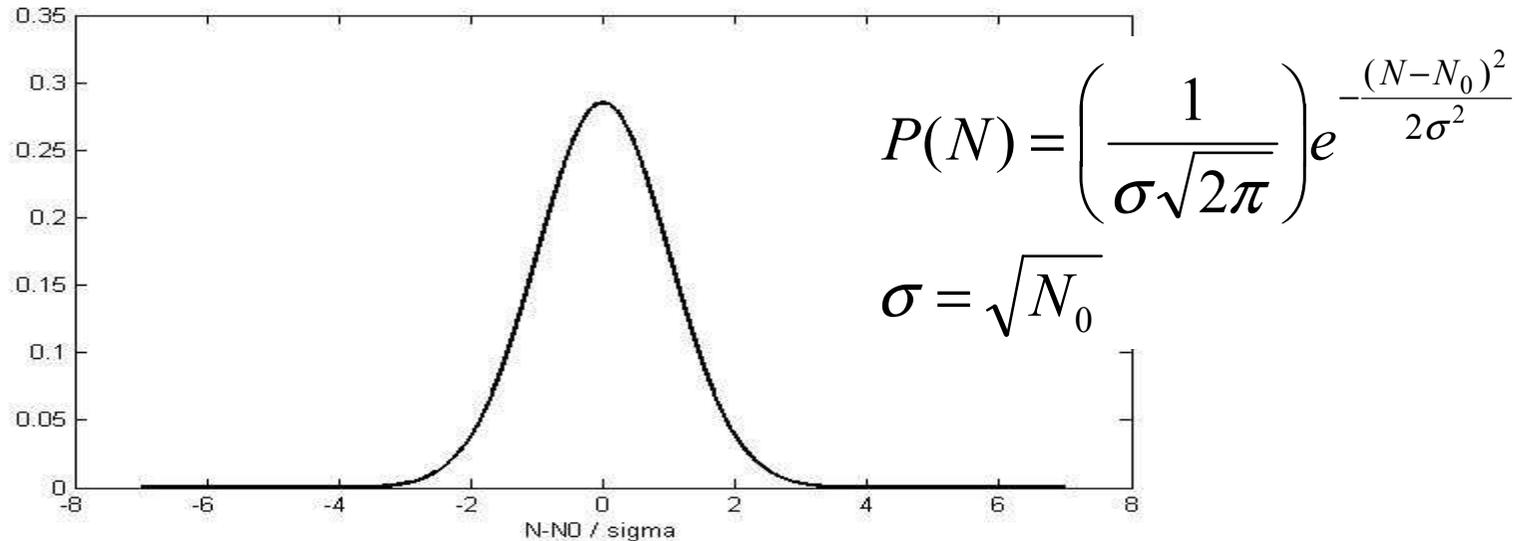
- Simple counting exercise of photons in small features in resist. Fluctuations then calculated with Poisson statistics.
 - Technically, photons are governed by Bose-Einstein statistics, but at the high T and incoherence of the source plasma this becomes Poisson (Gaussian at large N).
 - Also throw in # of acids generated via quantum efficiency.
- Many other sources of fluctuations are not included.
- Ref: Bristol et al SPIE '02, '07

“22nm” node example features

- 30nm round contact = 707nm²
- Could also apply to be any other 700nm² feature of interest.
 - Section of gate, critical interconnect region, etc.



Shot noise stats: Gaussian Distribution (for large N)



- # photons landing on a feature: most fall near the average value of N_0 .
99.7% land within $\pm 3\sigma$.
- For $\sim 1\text{B}$ features, some will have $\pm 6\sigma$ about mean.
 - Extreme Example: if $N_0=100$, then a few actually get 40 or 160 photons.
- # EUV photons: $N_0 = \text{Area}(\text{nm}^2) * \text{Dose}(\text{mJ}/\text{cm}^2) * 0.67 \text{ photons}$

Example: 30nm contacts @ 15mJ

→ Only absorbed photon # fluctuations for now.

$$N_{\text{abs}} = \text{Area}(\text{nm}^2) * \text{Dose}(\text{mJ}/\text{cm}^2) * 0.67 \text{ photons}$$

$$A=707\text{nm}^2, \alpha = 0.3 \rightarrow N_{\text{abs}} = 1421.$$

$$\rightarrow \sigma = \text{sqrt}(N_{\text{abs}}) = 92.$$

So 1B contacts will see a range in incident photon # from:

$$N_{\text{abs}} = \begin{array}{ccc} 1195 & \text{to} & 1647 \\ -16\% & & +16\% \end{array}$$

→ Therefore the process must be tolerant to effective dose fluctuations of $\pm 16\%$ due to photon shot noise (in addition to usual process latitude).

→ Details of whether this might lead to shot-noise induced defects (e.g. gate to trench short) highly process dependent.

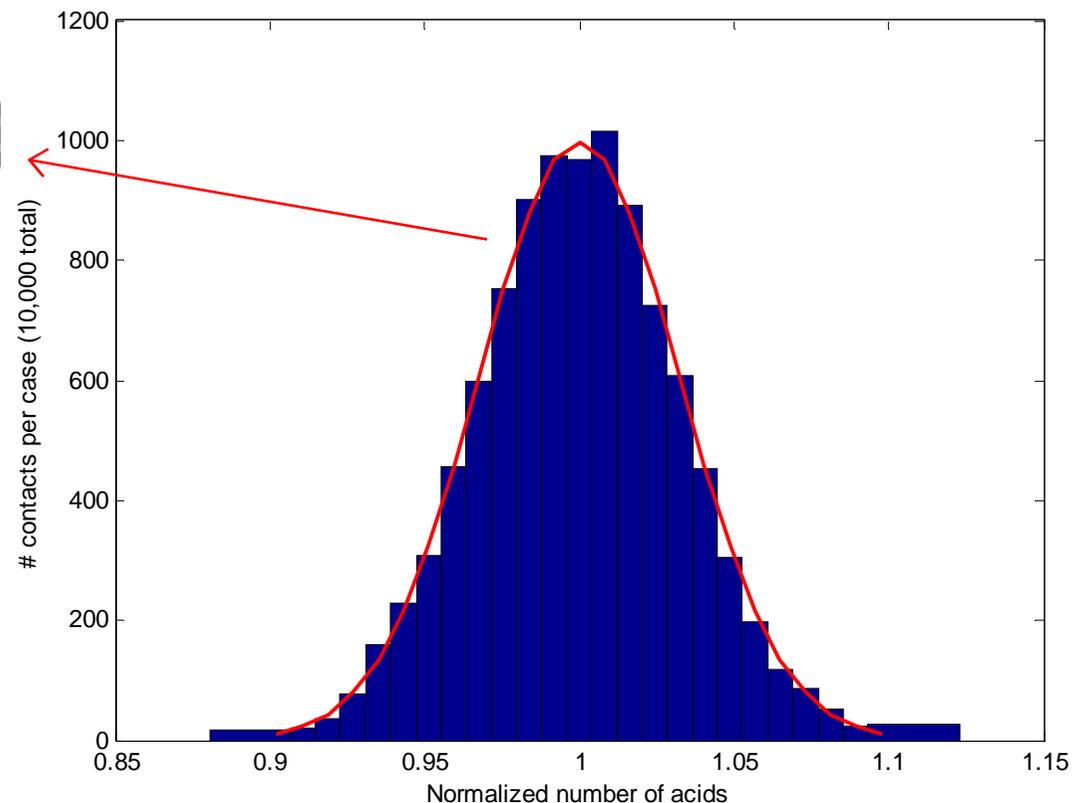
30nm “contacts” @ 10mJ, $\alpha = 0.3$, $\varepsilon = 2$
→ Incident #, absorption, and acid generation

- For each contact, random number from Gaussian distribution determines absorbed # photons. For each of these, random number from Poisson-distribution (average of ε) gives actual number of acids activated.

$$P(N_{acid}) = \frac{1}{\sigma\sqrt{2\pi}} \exp\left(-\frac{(N_{acid} - \alpha\varepsilon N_{inc})^2}{2\sigma^2}\right)$$

$$\sigma_{acid} = \sqrt{\alpha N_{inc}} \sqrt{1 + \frac{1}{\varepsilon}}$$

$6\sigma = 20\%$



Summary

- Simple Gaussian photon-counting for 30nm contacts to 6σ implies effective dose fluctuation of $\pm 16\%$ will appear.
- Including acid counting, fluctuation rises to $\pm 20\%$.
- Process must be tolerant of such fluctuations, otherwise shot noise induced defects may appear.
 - Contact landing gate shorting, interconnect shorting, etc
- Practical importance of this issue will only be seen with integrated 22nm patterning.
- Used $\alpha=0.3$, $10\text{mJ}/\text{cm}^2$, $\epsilon=2$ but results not greatly sensitive to these choices (goes as \sqrt{N})